

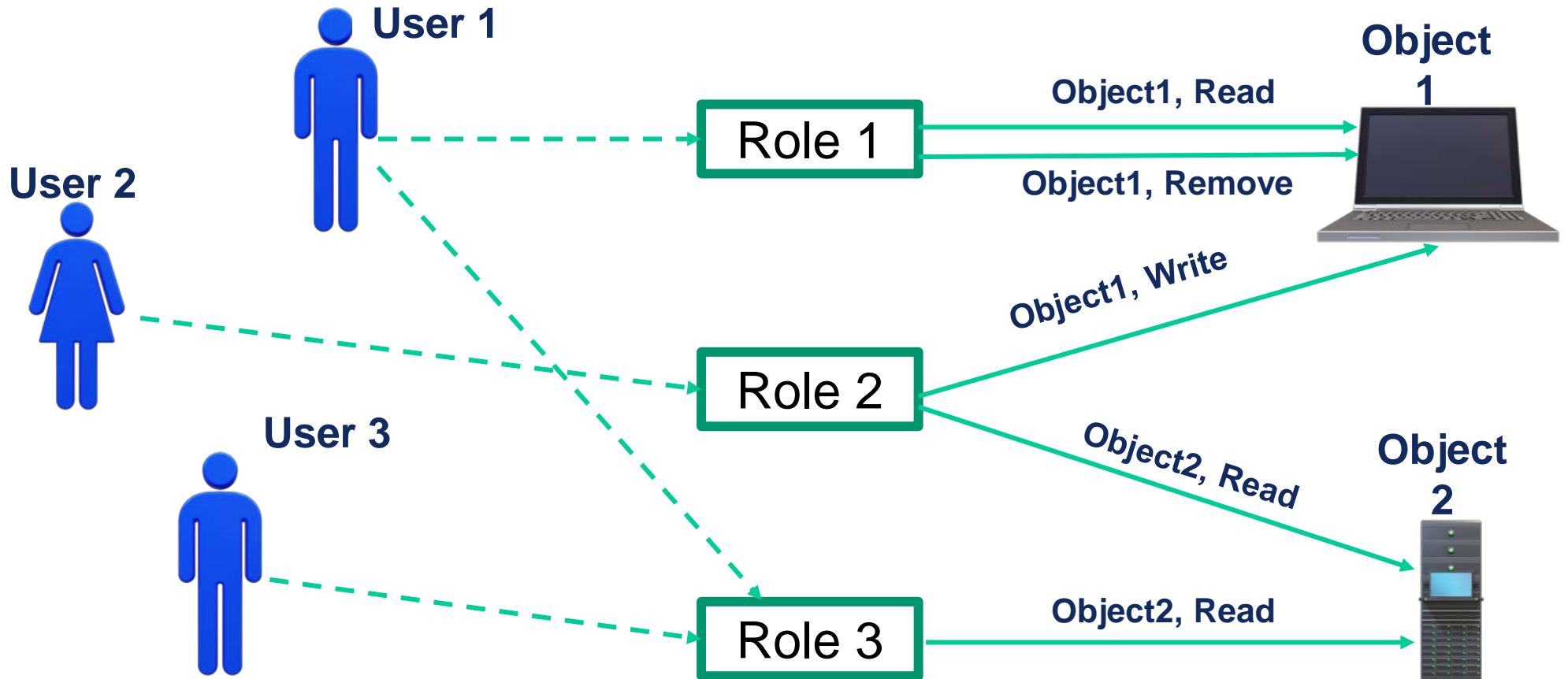
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# **Access Control Policy Mining: RBAC to ABAC**

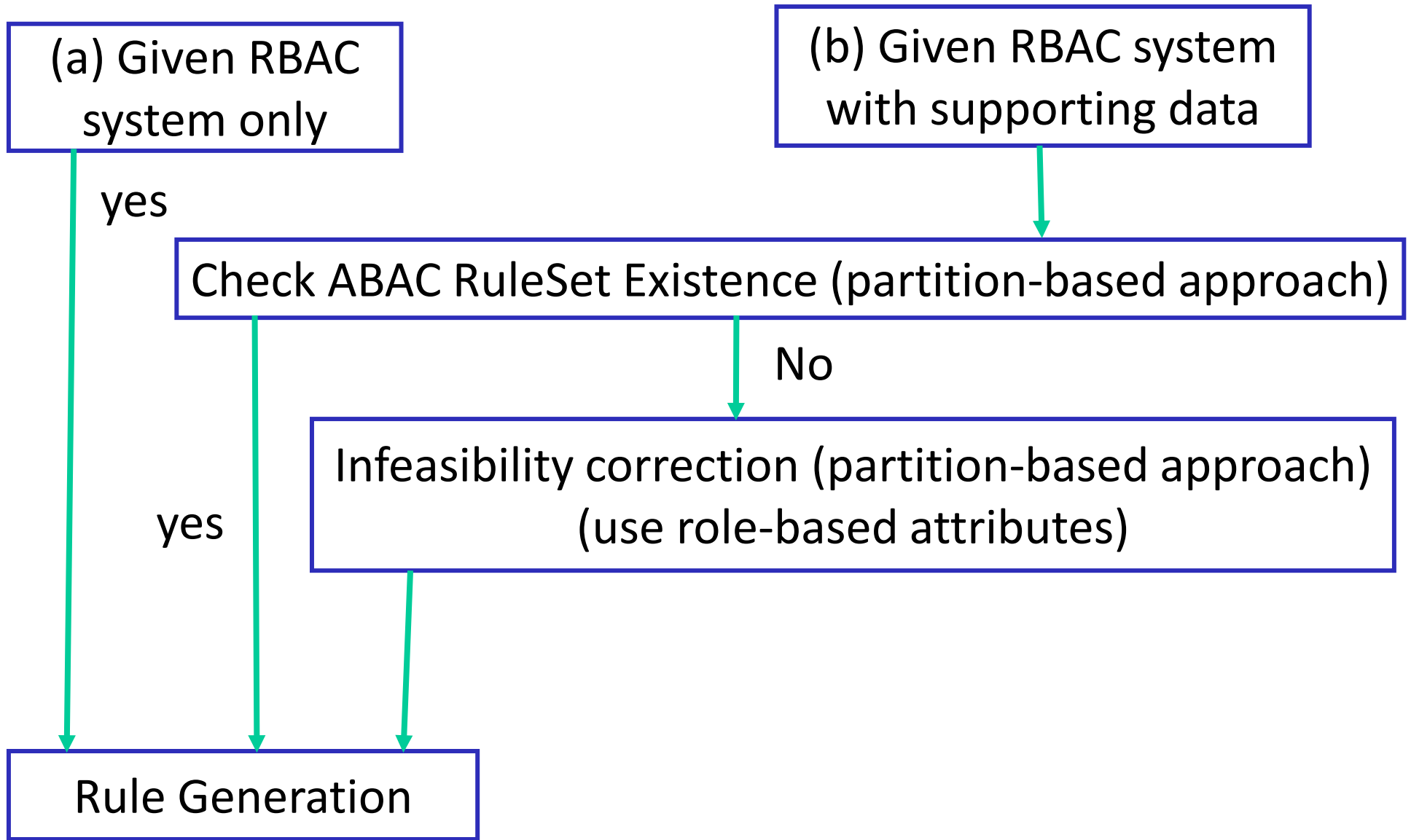
**L10-2**  
**CS6393**  
**Spring 2020**

2. Shuvra Chakraborty, Ravi Sandhu and Ram Krishnan, *On the Feasibility of RBAC to ABAC Policy Mining: A Formal Analysis*. In Proceedings of the 7th International Conference on Secure Knowledge Management in Artificial Intelligence Era (SKM), Goa, India, December 21-22, 2019, 17 pages.

\*\*\*\* Role Mining and ABAC policy mining references can be found in “Related works” section of paper 2



**Role-Based Access Control (RBAC) assigns user to “role”**



- RBAC (Role-Based Access Control) is widely used but has notable limitations (e.g., role explosion)
  - Using ABAC (Attribute-Based Access Control), access control policies can be written in more flexible and higher level way
  - Automated migration of an existing RBAC system to ABAC system (defined as ABAC policy mining problem) cuts the cost and human efforts needed
  - Stoller et. al. use explicit unique IDs in attribute set to resolve ABAC policy mining problem which is somehow conflicting with basic principle of ABAC
- 
- ❖ *We introduce ABAC RuleSet Existence problem: questions the feasibility of ABAC policy mining problem in RBAC context*
    - ❖ *If not feasible without ID, infeasibility correction technique is applied*
    - ❖ *Eliminates use of explicit ID in ABAC policy mining*

1. Access control
2. An Access control system must have a checkAccess function which evaluates an access request (user, object, operation) to true/false
3. Two access control systems are equivalent iff i) set of users (U), objects (O), and operations (OP) are identical ii) for any access request,  $\text{checkAccess}_{\text{system1}}$  and  $\text{checkAccess}_{\text{system2}}$  evaluates the same
4. The following example includes 3 types of Access Control System
  - a. Enumerated Authorization System (EAS)
  - b. RBAC System
  - c. ABAC System

EAS is a tuple  $\langle U, O, OP, AUTH, \text{checkAccess}_{EAS} \rangle$

- ❖  $U, O,$  and  $OP$  are finite sets of users, objects and operations, respectively
- ❖  $AUTH \subseteq U \times O \times OP$

### **Example 1:**

- ❖  $U = \{\text{John, Lina, Ray, Tom}\}, OP = \{\text{read, write}\}, O = \{\text{Obj1, Obj2}\}$

| AUTH  | Explanation   |
|---|---|
| (John, Obj1, write)<br>(John, Obj2, write)<br>(John, Obj1, read)<br>(Lina, Obj2, write)<br>(Tom, Obj1, read)<br>(Ray, Obj1, read) | e.g., John is allowed to do read operation on Obj1 but not allowed to do read operation on Obj2 |

## RBAC system

- is a tuple  $\langle U, O, OP, Roles, RPA, RUA, RH, checkAccess_{RBAC} \rangle$
- ❖ Roles is finite set of roles
- ❖ RH is the role hierarchy relation [RH': reflexive transitive closure of RH]
- ❖ RPA : Role Permission Assignment
- ❖ RUA: Role User Assignment
- ❖ Permission is an object-operation pair
- ❖  $authPerm(r) = \{p \in RPA(r') \mid (r, r') \in RH'\}$ , where  $r, r' \in Roles$
- ❖  $authUser(r) = \{u \in RUA(r') \mid (r', r) \in RH'\}$  where  $r, r' \in Roles$
- ❖  $checkAccess_{RBAC}(u:U, o:O, op:OP) \equiv \exists r \in Roles. (u \in authUser(r) \wedge p \in authPerm(r) \wedge (o, op) = (obj(p), ops(p)))$



### Example 2:

- $U = \{\text{John, Lina, Ray, Tom}\}$ ,  $OP = \{\text{read, write}\}$ ,  $O = \{\text{Obj1, Obj2}\}$   
[same as Example 1]
- Roles =  $\{R1, R2, R3\}$
- $RPA(R1) = \{(\text{Obj1, write})\}$ ,  $RPA(R2) = \{(\text{Obj2, write})\}$ ,  $RPA(R3) = \{(\text{Obj1, read})\}$
- $RUA(R1) = \{\text{John}\}$ ,  $RUA(R2) = \{\text{Lina}\}$ ,  $RUA(R3) = \{\text{Ray, Tom}\}$
- $RH = \{(R1, R2), (R1, R3)\}$  [R1 is a senior role than R2, R3]

EAS and RBAC system defined in example 1 and 2 are equivalent

- **ABAC system** is a tuple  $\langle U, O, OP, UA, OA, UAValue, OAValue, RangeSet, RuleSet, checkAccess_{ABAC} \rangle$

### Example 3

- U, O, OP are same as Example 1
- $UA = \{Position, Dept.\}$ ,  $OA = \{Type\}$

| UAValue  |          |       |
|----------|----------|-------|
| User (U) | Position | Dept. |
| John     | Officer  | CS    |
| Lina     | Student  | CS    |
| Ray      | Officer  | CS    |
| Tom      | Officer  | CS    |

| RangeSet |                             |
|----------|-----------------------------|
| Position | {Officer, Student, Faculty} |
| Dept.    | {CS, EE}                    |
| Type     | {File, Printer, Scanner}    |

| OAValue    |         |
|------------|---------|
| Object (O) | Type    |
| Obj1       | File    |
| Obj2       | Printer |

- RuleSet contains one separate rule for each operation,  $\{Rule_{read}, Rule_{write}\}$
- **ABAC system is incomplete in Example 3 (No rules given!)**

### ABAC rule structure

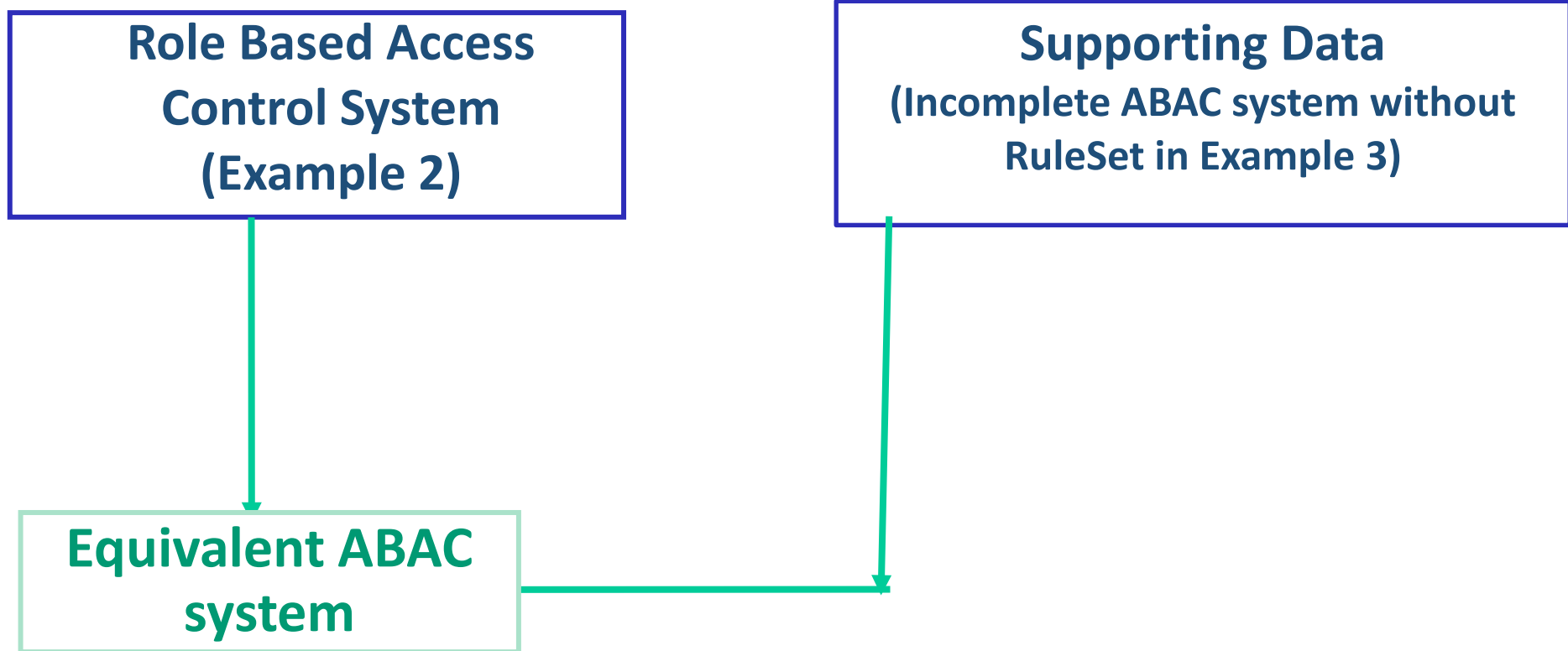
For any operation  $op \in OP$ ,  $Rule_{op}$  grammar

- ❖  $Rule_{op} ::= Rule_{op} \vee Rule_{op} \mid (Atomicexp)$
- ❖  $Atomicexp ::= Atomicuexp \wedge Atomicoexp \mid Atomicuexp \mid Atomicoexp$
- ❖  $Atomicuexp ::= Atomicuexp \wedge Atomicuexp \mid uexp$
- ❖  $Atomicoexp ::= Atomicoexp \wedge Atomicoexp \mid oexp$
- ❖  $uexp \in \{ua(u) = value \mid ua \in UA \wedge value \in Range(ua)\}$
- ❖  $oexp \in \{oa(o) = value \mid oa \in OA \wedge value \in Range(oa)\}$

□  **$checkAccess_{ABAC}(a:U, b:O, op:OP) \equiv Rule_{op}(a:U, b:O)$**

\*\*\* Illustrated ABAC rule examples can be found in later slides

\*\*\* [Example 1,2 and 3 will be used to demonstrate the workflow of paper 2](#)



Does an equivalent ABAC system exist for the given RBAC system and supporting data?

Find the RuleSet -> \*With ID, always possible, \*No IDs → Not possible  
e.g., cannot separate John from Ray and Tom in Example 3

**Step 1. Generate role-based attribute set**

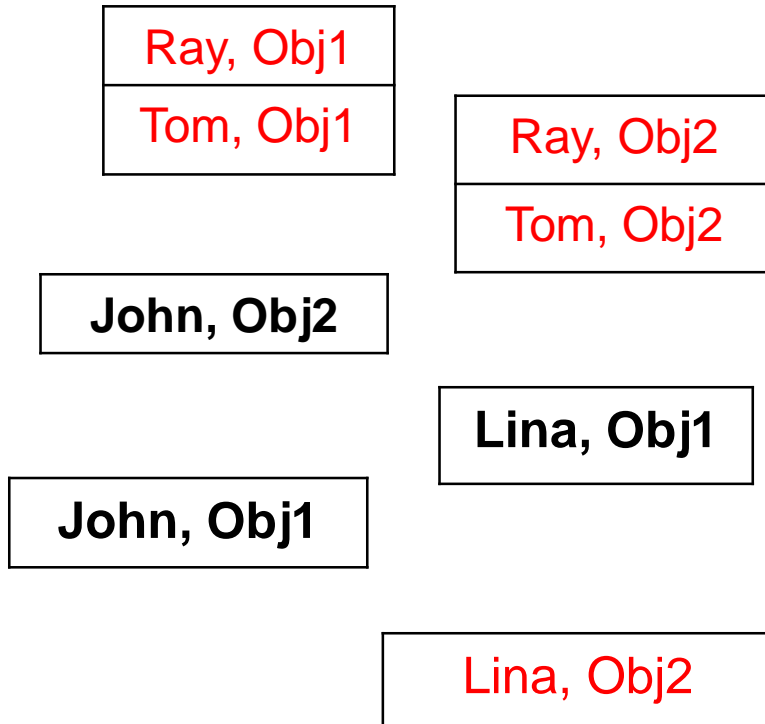
- ❖ For a user  $u$ , role-based user attribute denotes the set of roles possessed by  $u$
- ❖ For an object-operation pair  $(obj, op)$ , role-based object attribute denotes the set of roles where each role contains permission  $(obj, op)$

| Role-based user attribute (Example 2) |              |
|---------------------------------------|--------------|
| User(U)                               | uroleAtt     |
| John                                  | {R1, R2, R3} |
| Lina                                  | {R2}         |
| Ray                                   | {R3}         |
| Tom                                   | {R3}         |

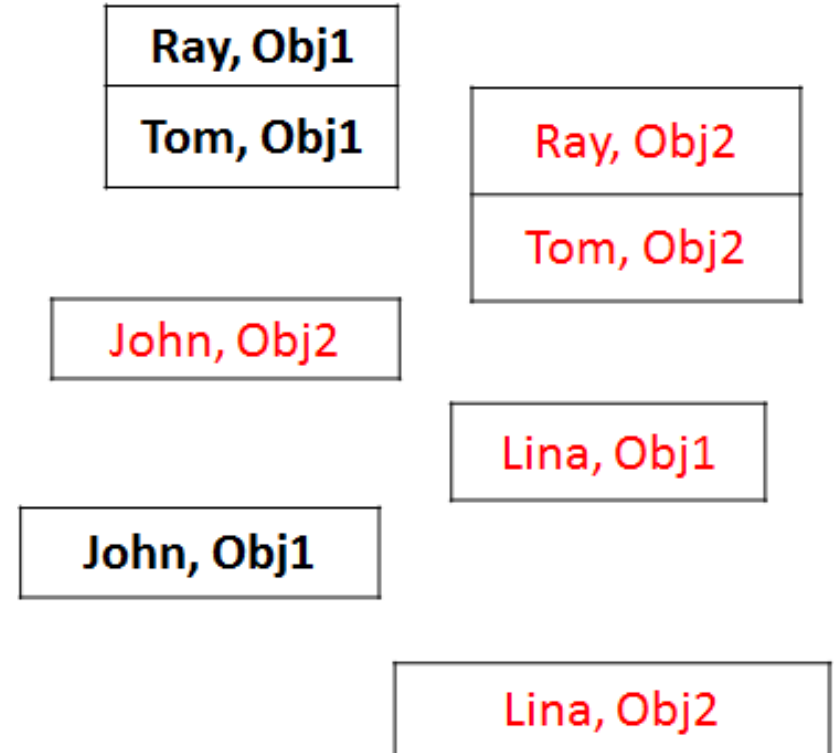
| Role-based object attribute (Example 2) |                           |                          |
|---|---------------------------|--------------------------|
| Object(O)                               | oroleAtt <sub>write</sub> | oroleAtt <sub>read</sub> |
| Obj1                                    | {R1}                      | {R1, R3}                 |
| Obj2                                    | {R1, R2}                  | {}                       |

Next step: partition set is generated on set  $U \times O$  based on similarity in attribute value assignment

## Partition set w.r.t. write



## Partition set w.r.t. read



Partition set is conflict-free w.r.t. read and write → YES

- Given an operation  $op$ , if partition set is conflict-free and each partition is uniquely identified by the set of (attribute name, value) pair then RuleSet can be generated [Proved]
- A conjunction of (attribute name, value) pair is made for each conflict-free partition and OR'ed to  $Rule_{op}$

e.g.,  $Rule_{read} \equiv \langle (u_{roleAtt}(u) = \{R3\} \wedge o_{roleAtt}_{write}(o) = \{R1\} \wedge o_{roleAtt}_{read}(o) = \{R1, R3\}) \vee (u_{roleAtt}(u) = \{R1, R2, R3\} \wedge o_{roleAtt}_{write}(o) = \{R1\} \wedge o_{roleAtt}_{read}(o) = \{R1, R3\}) \rangle$

**\*\*\*Rule<sub>write</sub> can be constructed same way**

**\*RuleSet = {Rule<sub>write</sub>, Rule<sub>read</sub>}**

**Example 2 and completed ABAC system in example 3 are equivalent**

**\*\*\*Equivalent ABAC system generation is always possible!**

**Role Based Access Control System (Ex. 2)**



**Equivalent ABAC system**

**Supporting Data (Ex. 3)**

| UAValue  |          |       | OValue     |         |
|----------|----------|-------|------------|---------|
| User (U) | Position | Dept. | Object (O) | Type    |
| John     | Officer  | CS    | Obj1       | File    |
| Lina     | Student  | CS    | Obj2       | Printer |
| Ray      | Officer  | CS    |            |         |
| Tom      | Officer  | CS    |            |         |

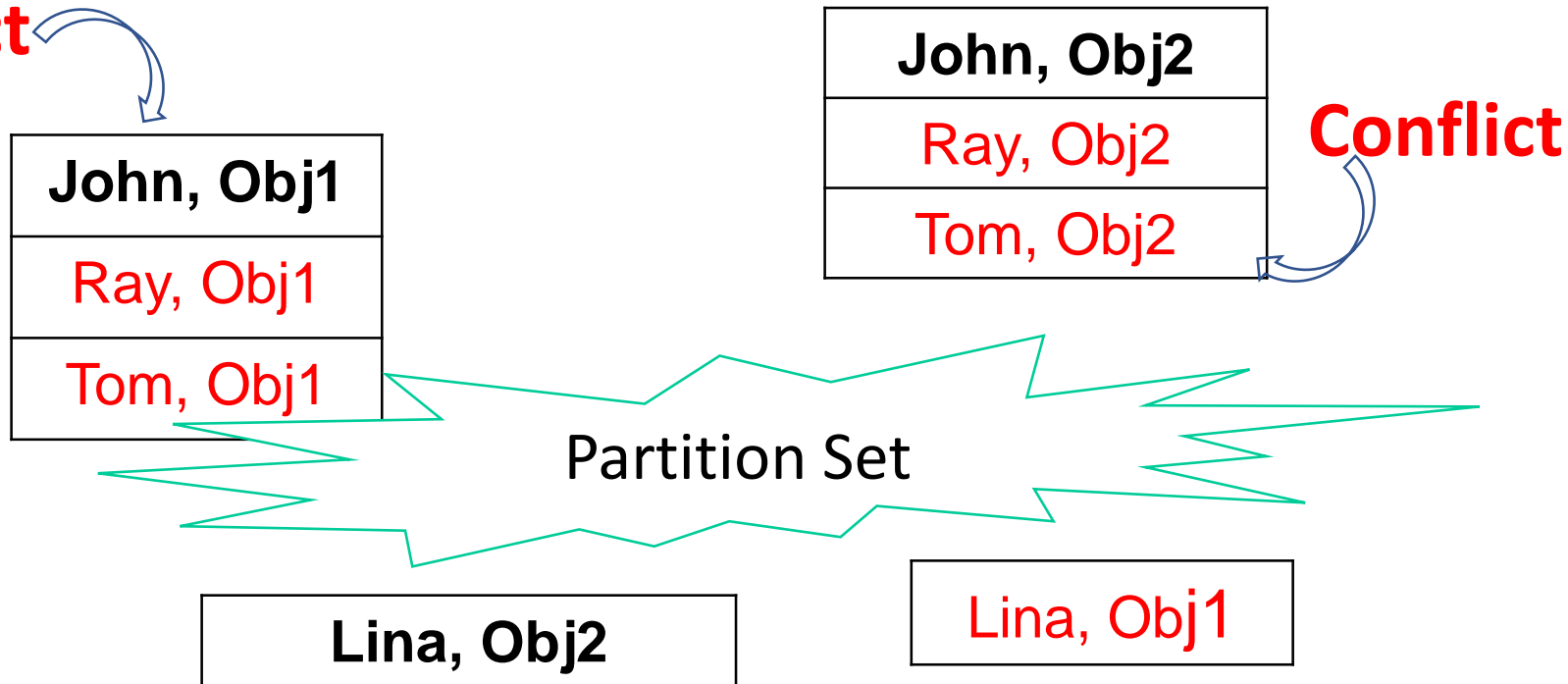
| RangeSet |                             |
|----------|-----------------------------|
| Position | {Officer, Student, Faculty} |
| Dept.    | {CS, EE}                    |
| Type     | {File, Printer, Scanner}    |



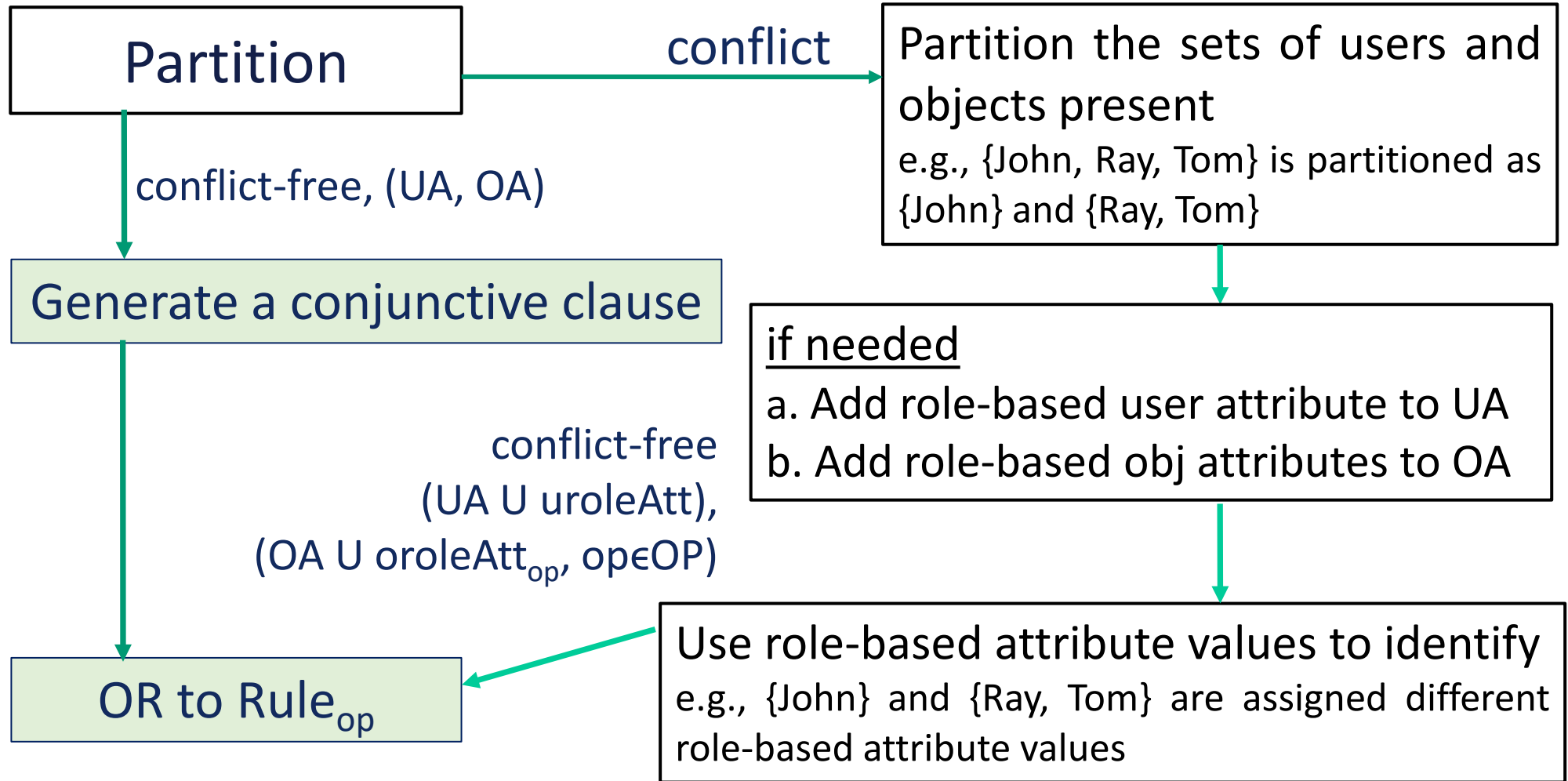
**Step 1: Generate partition set based on similarity in attribute value assignment. Partition set might have conflicts!**



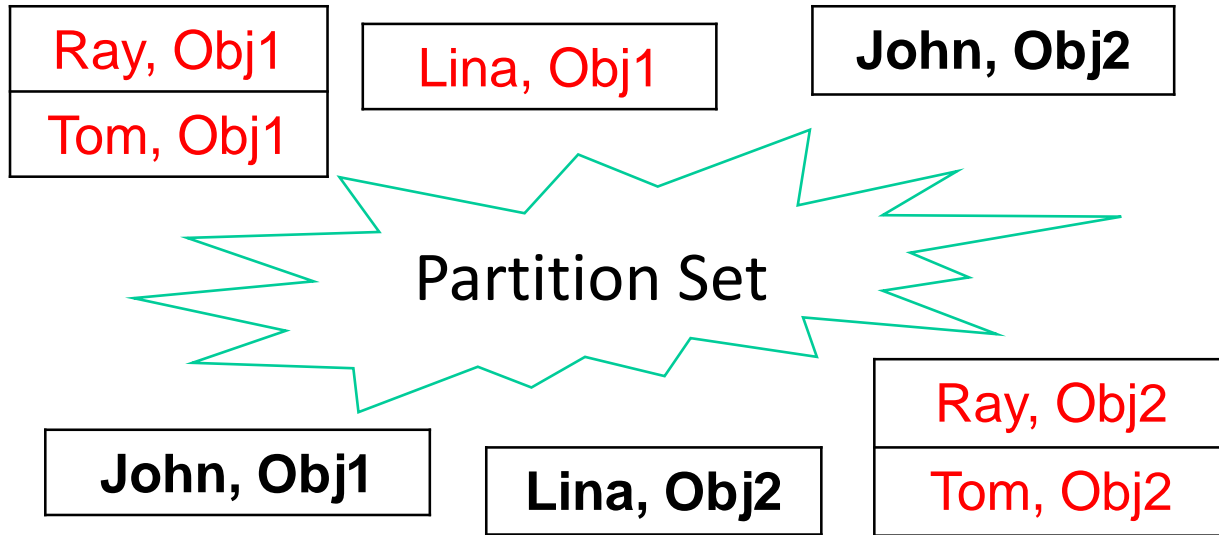
**Conflict**



\*Partition set has conflict w.r.t. write  $\rightarrow$  YES (Ex. 2 and 3)  
Next step: Apply infeasibility correction



**Infeasibility correction: exact solution can be achieved many ways**



| UAValue |              |
|---------|--------------|
| User(U) | uroleAtt     |
| John    | {R1, R2, R3} |
| Lina    | {R2}         |
| Ray     | {R3}         |
| Tom     | {R3}         |

| OAValue    |                           |                          |
|------------|---------------------------|--------------------------|
| Object (O) | oroleAtt <sub>write</sub> | oroleAtt <sub>read</sub> |
| Obj1       | {R1}                      | {R1, R3}                 |
| Obj2       | {R1, R2}                  | {}                       |

$$\text{Rule}_{\text{write}} \equiv \langle (\text{Position}(u) = \text{officer} \wedge \text{Dept}(u) = \text{CS} \wedge \text{uroleAtt}(u) = \{R1, R2, R3\} \wedge \text{Type}(o) = \text{File}) \vee$$

$$(\text{Position}(u) = \text{officer} \wedge \text{Dept}(u) = \text{CS} \wedge \text{uroleAtt}(u) = \{R1, R2, R3\} \wedge \text{Type}(o) = \text{Printer}) \vee$$

$$(\text{Position}(u) = \text{student} \wedge \text{Dept}(u) = \text{CS} \wedge \text{Type}(o) = \text{Printer}) \rangle$$

**\*RuleSet = {Rule<sub>write</sub>, Rule<sub>read</sub>}**

- Formalized notion of feasibility on RBAC to ABAC policy mining: first time
- The overall asymptotic complexity of ABAC RuleSet Existence problem is  $O(|OP| \times (|U| \times |O|))$
- The overall asymptotic complexity of ABAC RuleSet Infeasibility Correction in RBAC context is  $O(|OP| \times (|U| \times |O|)^3)$

## Challenges

- Can you ensure partition split always equals 2?
- More compact set of rule generation
- Negative rules?
- Exact solution:
  - ❖ Reduce number of split partitions
  - ❖ Change number of attributes required
  - ❖ Changing existing attribute set, possible?